

**M.Sc.****2011****2nd Semester Examination****PHYSICS****PAPER—PH-202**

Full Marks : 40

Time : 2 Hours

*The figures in the right-hand margin indicate full marks.*

*Candidates are required to give their answers in their own words as far as practicable.*

*Illustrate the answers wherever necessary.*

**Group—A**

(Marks : 20)

1. Answer any two of the following : 2×2

- (a) The mutual potential energy  $V$  of two particles depends on their mutual distance  $r$  as,

$$V = \frac{a}{r^2} - \frac{b}{r} \quad a > 0, b > 0$$

for what separation,  $r$ , are the particles in static equilibrium?

- (b) If  $F$  be a generating function depends on  $p_k, P_k, t$  then prove that

$$q_k = \frac{\partial F}{\partial p_k} \quad \text{and} \quad Q_k = \frac{\partial F}{\partial P_k}$$

(Turn Over)

- (c) Prove that a generalised coordinate cyclic Lagrangian is also cyclic in the Hamiltonian.

2. Answer any *two* of the following :

3

- (a) The Hamiltonian of a charged particle moving in electromagnetic field is given by

$$H = \frac{1}{2m} \left[ (p_x - qA_x)^2 + (p_y - qA_y)^2 + (p_z - qA_z)^2 \right] + q\phi$$

Derive the equations of motion.

- (b) Starting from time dependent Schrodinger equation obtain the Hamilton - Jacobi equation.
- (c) A particle of mass 'm' is moving in a plane under inverse square law attractive force. Set up Lagrangian and hence obtain the equation describing its motion.

3. Answer any *one* of the following :

- (a) Obtain the Euler-Lagrange differential equation using variational method.

Derive Lagrange equation of motion from Hamilton's principle.

Use the variational principle to show that the shortest distance between two points in space is a straight line joining them.

$$3\frac{1}{2} + 2\frac{1}{2}$$

- (b) On the basis of the Lagrangian, discuss small oscillations of a system in the neighbourhood of stable equilibrium.

Find the normal modes of vibration of freely vibrating linear triatomic molecules. (Neglect the interaction between the end atoms).

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**Group—B**

(Marks : 20)

Answer Q. No. 1 & 2 and any one from the rest.

1. Answer any two of the following : 2×2
- (a) Find the average energy of an electron considering 2-D fermi gas at  $T = 0$  K.
  - (b) What is meant by effective mass? What is negative effective mass?
  - (c) Prove that Fermi level lies at halfway between conduction band and valence band for an intrinsic semiconductor at  $T = 0$  K.
2. Answer any two bits : 3×2
- (a) Find the depletion temperature corresponding to extrinsic to intrinsic transition in a p-type semiconductor.
  - (b) Prove that effective number of free carriers in the band is maximum when a band is half-filled.
  - (c) Explain-how can you determine experimentally Fermi temperature and Debye temperature of a metal.
3. (a) Find an expression for carrier concentration of n-type nondegenerate semiconductor in the extremely low temperature region.
- (b) Clearly distinguish nondegenerate and degenerate characteristics of a semiconductor.

7+3

4. (a) Describe in details the essential features of Kronig Penny model.
- (b) Clearly explain 'Extended Zone Scheme' and 'Reduced Zone Scheme'.

8+2